

Financial Series Solutions

1. €790.66 ; €70.66
2. (a) 0.33%
(b) €1148.55
3. €11265.95
4. Proof
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6. $P(1.09) + P(1.09)^2 + \dots P(1.09)^5; A = €1000$
7. €5257.31
8. €1017.23
9. €371.49
10. Yes
11. €448.13
12. 6.536%
13. No Solution Given
14. €1,536.42 is a fair price.
15. €11,265.95
16. €6,662.46
17. €8,941.42
18. €9,959.35
19. €8,488.89
20. €3,544.66
21. €123.87
22. €122,077.73

23. $\text{€}\frac{200}{i}$, where i is the annual interest rate (in decimal form.)
24. $\text{€}56.74$ (payments made at start of each month)
25. (a) 0.846836%
 (b) $\text{€}333,408.52$
 (c) $\approx \text{€}1,968.08$
26. (a) 2nd: $A(1.04)$; 3rd: $A(1.04)^2$; 4th: $A(1.04)^3$; 26th: $A(1.04)^{25}$
 (b) $A \left(\frac{1.04^{26}-1}{0.04} \right)$
 (c) $\$485,199$
 (d) (ii) n th payment: $\text{€}\left(\frac{485,199(1.04)^{n-1}}{(1.0478)^{n-1}}\right)$
 (iii) $\$11.5$ million
 (e) 31.3%
27. (a) $\text{€}19,417.48$
 (b) $\text{€}\left(\frac{20,000}{1.03^t}\right)$
 (c) $\text{€}358,710.84$
 (d) i. 0.002466
 ii. $\text{€}[P(1.002466)^n]$
 iii. 390.16
 iv. $\text{€}618.29$